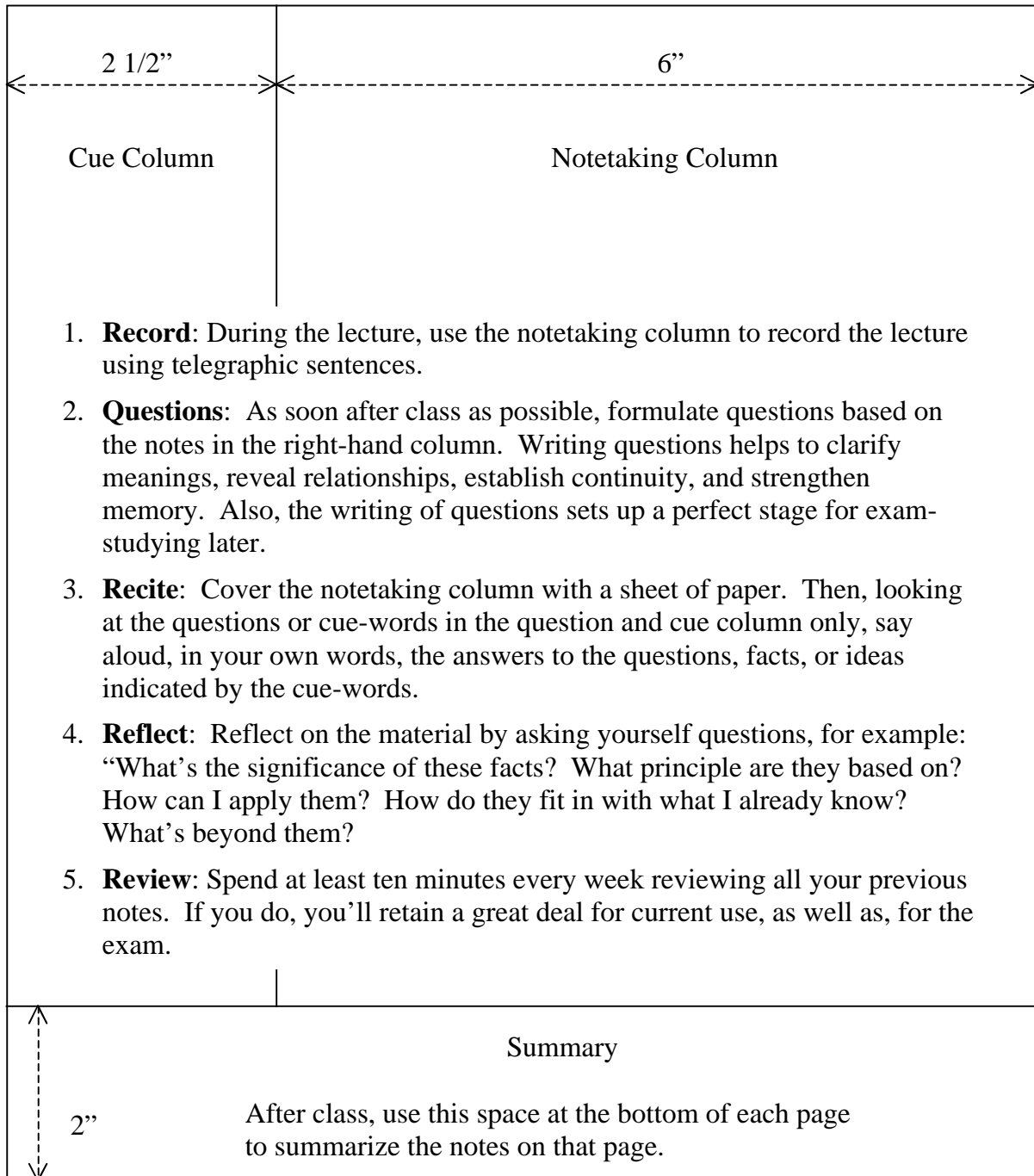




The Cornell Note-taking System



Examples of the Cornell Notetaking System

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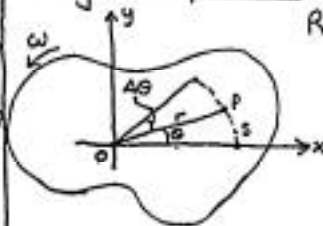
<p>How do psychologists account for remembering?</p> <p>What's a "memory trace"?</p> <p>What are the three memory systems?</p> <p>How long does sensory memory retain information?</p> <p>How is information transferred to STM?</p> <p>What are the retention times of STM?</p> <p>What's the capacity of the STM?</p> <p>How to hold information in STM?</p> <p>What are the retention times of LTM?</p> <p>What are the six ways to transfer information from STM to LTM?</p>	<p>Psych.105-Prof. Marlin - Sept. 14 (Mon.)</p> <p><u>MEMORY</u></p> <p>Memory tricky - Can recall instantly many trivial things of childhood; yet, forget things recently worked hard to learn & retain.</p> <p>Memory Trace</p> <ul style="list-style-type: none"> - Fact that we retain information means that some change was made in the brain. - Change called "memory trace." - "Trace" probably a molecular arrangement similar to molecular changes in a magnetic recording tape. <p>Three memory systems: sensory, short-term, long-term.</p> <ul style="list-style-type: none"> - <u>Sensory</u> (lasts one second) <ul style="list-style-type: none"> Ex. Words or numbers sent to brain by sight (visual image) start to disintegrate within a few tenths of a second & gone in one full second, unless quickly transferred to S-T memory by verbal repetition. - <u>Short-term memory [STM]</u> (lasts 30 seconds) <ul style="list-style-type: none"> • Experiments show: a syllable of 3 letters remembered 50% of the time after 3 seconds. Totally forgotten end of 30 seconds. • S-T memory - limited capacity - holds average of 7 items. • More than 7 items -- jettisons some to make room. • To hold items in STM, must rehearse -- must hear sound of words internally or externally. - <u>Long-term memory [LTM]</u> (lasts a lifetime or short time) <ul style="list-style-type: none"> • Transfer fact or idea by: <ol style="list-style-type: none"> (1) <u>Associating</u> w/information already in LTM (2) <u>Organizing</u> information into meaningful units (3) <u>Understanding</u> by comparing & making relationships. (4) <u>Frameworking</u> - fit pieces in like in a jigsaw puzzle. (5) <u>Reorganizing</u> - combing new & old into a new unit. (6) <u>Rehearsing</u> - aloud to keep memory trace strong
<p>Three kinds of memory systems are sensory, which retains information for about one second; short-term, which retains for a maximum of thirty seconds; and long-term, which varies from a lifetime of retention to a relatively short time.</p> <p>The six ways (activities) to transfer information to the long-term memory are: associating, organizing, understanding, frameworking, reorganizing and rehearsing.</p>	

• What is the equation for angular displacement?

• What are the units of angular displacement?

• What does s represent?

Review of Rotational Kinematics
 Rotational Motion of Rigid Objects
angular displacement



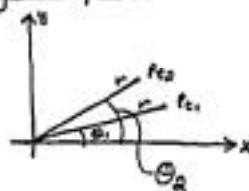
Rigid Object rotating about fixed axis O in z -direction

$\theta = 0$, when \vec{r} is along x -axis
 $\theta > 0$, CCW rotation
 $\theta = s/r$, where s is arc length
 $[\theta] = \text{radians}$
 $\Delta\theta = \text{angular displacement}$

• What is the eq'n for average ang. speed?

• What is the eq'n for instantaneous ang. speed?

angular speed



avg. angular speed
 $\bar{\omega} = \frac{\theta_2 - \theta_1}{t_2 - t_1}$
 instantaneous ang. speed,
 $\omega = \frac{d\theta}{dt}$
 $\omega > 0$, θ increasing in CCW direction
 $[\omega] = \text{rad/s}$

• How do we define instantaneous angular acceleration?

angular acceleration

avg. ang. acc, $\bar{\alpha} = \frac{\omega_2 - \omega_1}{t_2 - t_1}$
 inst. ang. acc, $\alpha = \frac{d\omega}{dt}$ $[\alpha] = \text{rad/s}^2$
 $\alpha > 0$, ω increases w/ time $\alpha < 0$, ω decreases w/ time

Angular displacement is $\Delta\theta$, where $\theta = s/r = \text{arc length}/\text{radius}$
 $[\theta] = \text{radians}$

Angular velocity is ω , where $\omega = \frac{d\theta}{dt} = \frac{\text{change in displacement (angular)}}{\text{change in time}}$
 $[\omega] = \text{rad/s}$

Angular acceleration is α , where $\alpha = \frac{d\omega}{dt} = \frac{\text{change in angular speed}}{\text{change in time}}$
 $[\alpha] = \text{rad/s}^2$

